Four Cosmic Laws of Organization as Stochastic Processes

Name of the law and discoverer a	Its formula and equation number b	Its Key, K^s, process or self-reiterant log governor c	Aim of scientists served d	Tense of cosmic activity e	Input transfactor Actors x P x f	Thruput Trans Interactings A g	factors x Timings x T h	produce i	Output products, End-State V j
Euler's HELIX law, 1	$y=e^{i(2\pi n)}=1$ $=\cos 2\pi n +i\sin 2\pi n$ Eq 33a	$2n\cdot\pi$ a self-sum of πn	predicts the organ-izing of	future cosmic activity	as n random actants	interacting by combining & permuting in unit life cycles	in t successive cycles of radius r (rt=n)	forms(if n is an integer)	the helix of t coils
Gauss' NORMAL law, 2	$y=1ue^{.5(x^2)}$ $u_n=\sqrt{2\pi n}$ Eq 33b	x^2 a self-product of x	describes the organ-izing of	present cosmic activity	as n all-or-none actants	interacting jointly	t times as in $(p+q)^t$	forms (if area = σ = 1)	the normal curve
Gompertz ENTRO-PIC law, 3	$y=e^{(2^t)}$ Eq 33c	2^t a pair-power, the Power set	explains the organ-izing of	cosmic activity	as n ceaseless actants	interacting as self-products or squarings	t successive times as $e^{(2^t)}$	forms	the entropic growth curve
Stirling's COMBIN-ATORIC law, 4	$y=e^{(n^n)}$ $\ln y=n^n=e^n n$ $!/n$ Eq 33d	n^n a self-power	controls the organ-izing of	anytime	as n reiterant actants	Interacting by combining permuting & repeating	Simul-taneously as in	forms	the combinat-oric or self-fulfilling curves
Dodd's Self-Reiterant laws, 5	$y=e^{(K^S)}=e^\theta$ or $A=C^t$ in C and t units Eq 33e	K^s $(2n,n^2,2^n,n^n)$ = the 4 "self-reiterants"	models the organ-izing of	all time cosmic activity	as n actants or things - namable	interacting in up to n^n ways	simul-taneously $e^{(n^n)}$	forms	the Mass-Time triangle (log scales)